



# **A-Level Physics**

## **Electric Fields**

### **Mark Scheme**

**Time available: 84 minutes**  
**Marks available: 60 marks**

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## Mark schemes

1.

- (a) Arrow pointing up labelled magnetic force or  $F_M$  and arrow pointing down labelled electric force or  $F_E$  ✓

*As location A is given in the question the base of the arrows do not need to sit exactly on A but arrows, if extended, should pass through A.*

*Care – in some cases A can look like an arrow head.*

1

- (b) Statement that electric and magnetic forces balance  
OR

$$qE = Bqv$$

OR

$$E = vB$$

OR

$$1.5 \times 10^5 \times 0.12 \checkmark$$

$$\text{electric field strength} = E = 1.8 \times 10^4 \text{ (V m}^{-1}\text{)} \checkmark$$

*A correct final answer gains both marks*

2

- (c) (centripetal force or  $F_c = \frac{mv^2}{r}$ , equals force due to the magnetic field or  $F_m = Bqv$ )

$$\frac{mv^2}{r} \text{ and hence } \frac{mv}{Bq} \checkmark$$

*Condone use of  $F$  to represent both  $F_c$  and  $F_m$*

*Allow an interchange between use of  $q$  and  $Q$ .*

*Note  $F =$  is required*

1

- (d)  $r \left( = \frac{mv}{Bq} = \frac{1.0 \times 10^{-26} \times 1.5 \times 10^5}{0.12 \times 1.6 \times 10^{-19}} \right) = 0.078(1) \checkmark$

$$\text{distance} (= 2r) = 0.16 \text{ (m)} \checkmark \text{ (0.156 m)}$$

*ecf on second mark.*

*second mark given only if  $mv/Bq$  used in a calculation.*

2

- (e) (using an energy approach)

$$\text{work done by field equals gain in KE } qV = \frac{1}{2} mv^2 \checkmark_{1a}$$

$$\left( \text{so } v = \sqrt{\frac{2qV}{m}} = \left( \frac{2 \times 1.6 \times 10^{-19} \times \frac{6000}{2}}{1.2 \times 10^{-26}} \right)^{1/2} \right)$$

mark for using the  $V/2$  either in an equation or via a substitution ✓<sub>2a</sub>

$$= 2.8(3) \times 10^5 \text{ (m s}^{-1}\text{)} \checkmark_{3a}$$

OR

(using a force approach)

Force on ion =  $ma = qE$  ✓<sub>1b</sub>

$$a = \frac{6000 \times 1.6 \times 10^{-19}}{1.2 \times 10^{-26} \times d} = 8.0 \times 10^{10} / d$$

Using  $v^2 = u^2 + 2as$

Mark for using equation for  $E$  and equation of motion either in symbols or via a substitution ✓<sub>2b</sub>

$$v = 2.8 \times 10^5 \text{ (m s}^{-1}\text{)} \quad \checkmark_{3b}$$

*<sub>1a</sub> in words or equation which can be awarded even if the ion is not singly charged (candidates can wrongly think it has a charge of 3e)*

*<sub>2a</sub> for making use of half the pd ie 3000 V*

*<sub>3a</sub> Only allow ecf using 6000V giving*

$$v = 4.0 \times 10^5 \text{ m s}^{-1}$$

3

(f) A smaller mass gives a smaller time interval ✓<sub>1</sub>

(The explanation can come from a Force or a Work done approach)

The ions are given the same force ✓<sub>2a</sub>

(so) smaller mass has higher acceleration and smaller time interval ✓<sub>3a</sub>

OR

Work done on ions or kinetic energy gained is the same ✓<sub>2b</sub>

(so) smaller mass is given greater speed and smaller time interval ✓<sub>3b</sub>

Award any two of the three marks

*condone use of 'lighter' for 'smaller mass'*

3 max 2

[11]

2.

(a) Electromagnetic ✓

*Reject electrostatic as it is not one of the fundamental forces.*

1

(b) Arrow drawn at X in a direction radially away from the centre of the gold nucleus ✓

1

- (c) Answer number 5 or 6 plus one consistent justification ✓  
*First mark must come with at least one justification.*

One more consistent justification ✓

List of justifications:

Cannot be 1, 2, or 3 as these alpha's deflect up. Or must be 5 to 9 as these all alpha's deflect down.

Cannot be 4 as this would backscatter or is scattered at 180°

Cannot be 7, 8 or 9 as the deflection would be too small. Or must be 2, 3, 5, 6 as these have a greater deflection than alpha1.

*The second mark is possible to obtain with two consistent justifications even if the first mark is missed.*

*E.g. if an answer 7 is given then quoting the first two justifications gains a mark.*

2

- (d) (Using of potential energy =  $\frac{Qq}{4\pi\epsilon_0 r}$ )

Substituting the values of the two charges multiplied together into an equation  
 $(2 \times 1.6 \times 10^{-19})(79 \times 1.6 \times 10^{-19})\checkmark_1$

$$PE = \frac{2 \times 79 \times (1.6 \times 10^{-19})^2}{4\pi \times 8.9 \times 10^{-12} \times 5.5 \times 10^{-14}} \text{ or } 6.58 \times 10^{-13} \text{ (J)} \checkmark_2$$

*2 The substitution may be inferred at the next stage of the calculation that uses*

$$KE = \frac{1}{2} mv^2 = PE$$

(loss of KE =  $\frac{1}{2} mv^2 =$  gain in PE)

$$\left( v = \left( \frac{2 \times 6.58 \times 10^{-13}}{6.8 \times 10^{-27}} \right)^{1/2} \right)$$

$$v = 1.4 \times 10^7 \text{ (m s}^{-1}\text{)} \checkmark_3$$

3

(e) Using by substitution or rearrangement  $R = r_0 A^{1/3}$  ✓

$$R_{Ag} = 5.7 \times 10^{-15} \text{ (m)} \checkmark$$

$$\left( R_{Ag} = R_{Au} \times \left( \frac{A_{Au}}{A_{Ag}} \right)^{1/3} \right)$$
$$\left( R_{Ag} = 6.98 \times 10^{-15} \times \left( \frac{107}{197} \right)^{1/3} \right)$$

*The use of the equation must involve both nuclei.*

2

(f) Nucleons are incompressible / Nucleons have a constant separation / Neutrons and protons have similar masses / Neutrons and protons have similar volumes ✓

*A mark can be given for 'nucleons touch' but it must be implied that this is with all 12 neighbours'.*

1

[10]

3.

(a)  $C = 4\pi\epsilon_0 r = 4\pi \times 8.85 \times 10^{-12} \times 0.020$   
 $= 2.2(2) \times 10^{-12} \text{ (F)} \checkmark_1$

*✓<sub>1</sub> Mark for substitution or answer. Also it may be seen incorporated into the second mark.*

*Substitution of*

$$V (= Q/C) = 52 \times 10^{-9} / 2.22 \times 10^{-12} \checkmark_2$$

*✓<sub>2</sub> Use of  $r = 0.04 \text{ m}$  in the previous mark is treated as an arithmetic error and the substitution  $52 \times 10^{-9} / 4.44 \times 10^{-12}$  is given a CE mark.*

$$V = 23\,000 \text{ (V)} \checkmark_3 \text{ (23\,400 V)}$$

*✓<sub>3</sub>*

*A continuation of the CE gives a mark to the answer 12000 or 11700 (V)*

*A correct answer gains all 3 marks.*

*Commonly 23000 V gives 3 marks*

*11700 V gives 2 marks*

*Also a power of 10 error in the final answer gives 2 marks.*

*For any other final answer the only possibility is to get one mark for use of  $V = Q/C$  when  $C$  is clearly given or  $V = \frac{Q}{4\pi\epsilon_0 r}$  is used with an incorrect value of  $r$ .*

3

- (b) Labelled arrows on **B**
- Tension or T parallel to thread and upwards
  - weight or mg or W starting from sphere centre vertically down
  - electrostatic force or repulsion to right and starting from the inside or edge of the sphere ✓✓

2 marks for all 3 arrows and labels

1 mark for 2 arrows and labels

1 mark for 3 arrows, no or incomplete labels

*For the electrostatic force label also allow  $F_{elec}$  or 'force between charges.  $F_A$  etc.*

*Ignore gravity between spheres.*

*If a reaction force given – max 1 mark.*

2

- (c) One mark for stating the problem. ✓<sub>1</sub>

*✓<sub>1</sub> The problem must be explicitly stated but not much detail is needed. EG Anything used between the spheres may disrupt the field.*

One mark for giving a corresponding solution. ✓<sub>2</sub>

*✓<sub>2</sub> The solution must be detailed enough to convey what must happen.*

For example

Metallic or conducting instruments placed between the spheres will affect the separation (because of the movement of charge/electrons within the instrument)  
(Inside) callipers made from a non-conduction material in conjunction with a ruler could be used

Or

A travelling telescope on a vernier scale could be used (at a distance)

Other examples of problems

Physically touching the spheres may alter the reading.

Difficulty of measuring distance between curved objects.

A measuring instrument can have a dielectric constant/permittivity, which will affect the separation/disrupt the field.

Reading a ruler behind the spheres will give rise to a parallax error.

*Other examples of solutions.*

*Ruler and set square set up parallel to the line joining the centres of the spheres.*

*Measure (beforehand) the length of thread y and measure the angle with a protractor and calculate distance x using trig'.*

2

(d) Using distance = 80 mm (mark given even in a wrong formula)

Or

Stating that the charge can be considered to be in the centre of each sphere ✓<sub>1</sub>

$$F (= \frac{Q_1 Q_2}{4\pi\epsilon_0 r^2}) = \frac{(52 \times 10^{-9})^2}{4\pi\epsilon_0 (0.080)^2} \quad \checkmark_2$$

✓<sub>2</sub> Power of 10 errors are condoned and so is the use of the wrong separation (as this was penalized in the previous mark).

$$F = 3.8 \times 10^{-3} \text{ (N)} \quad \checkmark_3 \text{ (Showing at least 2 sig figs)}$$

✓<sub>3</sub> No ecf for this final mark.

3

(e) (As each sphere is in equilibrium then  $\tan \theta = \frac{F_{\text{electrostatic}}}{mg}$  a mark is given for a reference and substitution into this equation in any configuration. The second mark is for an evaluation that is said to be consistent. Use of  $4 \times 10^{-3}$  N given in part (d) gains full credit.)

$$\theta = \tan^{-1} \left\{ \frac{3.8 \times 10^{-3}}{3.2 \times 10^{-3} \times 9.8} \right\} \quad \checkmark = 6.9^\circ \text{ which is consistent } \checkmark$$

or

$$F_{\text{electrostatic}} = \{3.2 \times 10^{-3} \times 9.8 \times \tan 7^\circ\} \quad \checkmark \\ = 3.8(5) \times 10^{-3} \text{ (N) which is consistent } \checkmark$$

or

$$m = \left\{ \frac{3.8 \times 10^{-3}}{9.8 \tan 7^\circ} \right\} \quad \checkmark = 3.1(6) \times 10^{-3} \text{ (kg) which is consistent } \checkmark$$

Alternatively

$$T = \frac{3.2 \times 10^{-3} \times 9.8}{\cos 7^\circ} = 0.032 \quad \checkmark_{1\text{Alt}}$$

$$\text{and } T = \frac{3.8 \times 10^{-3}}{\sin 7^\circ} = 0.031, \text{ the same value so consistent } \checkmark_{2\text{Alt}}$$

using  $4 \times 10^{-3}$  N gives  $7.3^\circ$

More circular routes using Pythagoras are possible but they end in the same calculated results.

using  $4 \times 10^{-3}$  N gives  $3.3(2) \times 10^{-3}$  kg

✓<sub>1Alt</sub> Any equation that results in the calculation of the tension.

✓<sub>2Alt</sub> A second calculation of the tension which is stated to be consistent with the first.

2

(f) (In the following calculations condone the use of 1 sig fig for all data)

$$F_{grav} (= \frac{GMm}{r^2}) = 6.67 \times 10^{-11} \times \frac{(3.2 \times 10^{-8})^2}{0.080^2} \quad \checkmark_{1a}$$

$F_{grav} = 1.1 \times 10^{-13}$  (N) which is small/negligible compared to  $F_{elec}$  ( $\approx 4 \times 10^{-3}$  N) so statement is valid  $\checkmark_{2a}$

Alternative

(find the ratio between the forces)

$$\left( \frac{F_{elec}}{F_{grav}} = \frac{\frac{Q_1 Q_2}{4\pi\epsilon_0 r^2}}{\frac{GMm}{r^2}} \right)$$

$$\frac{F_{elec}}{F_{grav}} = \left( \frac{Q_1 Q_2}{Mm} \right) \frac{1}{G4\pi\epsilon_0}$$

(mark given for this ratio or the substitution below)

$$\frac{F_{elec}}{F_{grav}} = \left( \frac{(52 \times 10^{-9})^2}{(3.2 \times 10^{-3})^2} \right) \times \left( \frac{1}{6.67 \times 10^{-11} \times 4 \times \pi \times 8.85 \times 10^{-12}} \right) \quad \checkmark_{1b}$$

$F_{elec}$  is  $3.6 \times 10^{10}$  times  $F_{grav}$

OR

or  $F_{grav}$  is  $2.8 \times 10^{-11}$  times  $F_{elec}$   $\checkmark_{2b}$

$\checkmark_{1a}$  It is the use of the formula that is important for the mark. Giving the equation in symbols followed by an answer gains the mark.

$\checkmark_{2a}$  No ecf for the second mark in order to keep the same level of difficulty as in the alternative.

2

[14]

4.

(a) Ionisation is when an atom / molecule loses (or gains) one (or more) electrons  $\checkmark$

1

(b) Potential energy of ion is transferred to kinetic energy of ion  $\checkmark$

Power supply transfers energy to the ion  $\checkmark$

Decrease in energy stored in supply = increase in (kinetic) energy stored by the ion  $\checkmark$

3

(c) electric force is constant  $\checkmark$

magnetic force increases with speed  $\checkmark$

(magnetic force dominates) direction of force predicted by any consistent named force rule  $\checkmark$

3



(d) Path curves upwards between the plates ✓

1

(e) The magnetic force is the same ( $Bqv$ ) ✓

So  $r$  increases / less curvature ✓

OR

$$Bqv = \frac{mv^2}{r} \text{ so } r = \frac{mv}{Bq} \checkmark$$

$v, B, q$  constant so  $r \propto m$  and  $r$  increases ✓

2

(f) Same path in velocity separator ✓

since  $Bqv = Eq$  so  $v$  independent of  $q$  ✓

In mass selector radius is decreased ✓

$$\text{since } r = \frac{mv}{Bq} \text{ so } r \propto \frac{1}{q} \checkmark$$

*Both correct with one correct justification would get 3 marks*

MAX 3

[13]

5.

(a)  $t = \sqrt{\frac{2s}{g}}$  or  $4.5 = \frac{1}{2} \times 9.81 \times t^2 \checkmark$

$$t = 0.96 \text{ s} \checkmark$$

2

(b) Field strength =  $186000 \text{ V m}^{-1} \checkmark$

$$\text{Acceleration} = Eq / m$$

$$\text{or } 186\,000 \times 1.2 \times 10^{-6} \checkmark$$

$$0.22 \text{ m s}^{-2} \checkmark$$

3

(c)  $0.10(3) \text{ m}$  (allow ecf from (i)) ✓

1

(d) Force on a particle =  $mg$  and

acceleration =  $F/m$  so always =  $g$ ✓

Time to fall (given distance) depends (only) on the distance and acceleration✓

OR:

$$g = GM/r^2 \checkmark$$

$$\text{Time to fall} = \sqrt{2s/g}$$

so no  $m$  in equations to determine time to fall✓

2

(e) Mass is not constant since particle mass will vary✓

Charge on a particle is not constant✓

$$\text{Acceleration} = Eq/m \text{ or } (V/d)(q/m) \text{ or } Vq/dm \checkmark$$

$E$  or  $V/d$  constant but charge and mass are 'random' variables so  $q/m$  will vary (or unlikely to be the same)✓

4

[12]