

Moments

Mark Scheme

Time available: 71 minutes Marks available: 50 marks

1. (a) States tension in $\mathbf{P}+$ tension in $\mathbf{Q}=750+1800$

## OR

tension in $\mathbf{Q}=1400 \mathrm{~N}$
OR
Distance from $\mathbf{Q}=3.6-d \boldsymbol{J}$
Use of principle of moments $\checkmark$
$(d=) 2.4(\mathrm{~m}) \checkmark$

## alternative

Finds component of tension in P due to worker's weight = 250 N/ Finds tension in $\boldsymbol{P}$ (due to weight of worker) by dividing weight of platform by 2 and subtracts from 1150 N

## OR

Finds component of tension in $\mathbf{Q}$ due to worker's weight $=500 \mathrm{~N} /$ Finds tension in $\mathbf{Q}$ (due to weight of worker) by dividing weight of platform by 2 and subtracts from $1400 N \checkmark$
Recognises the ratio of weight distribution to worker position relative to cables $\mathbf{P}$ and $\mathbf{Q}$
$250 N: 500 N=3.6-d: d \checkmark$ (principle of moments)
( $d=$ ) 2.4 (m) $\checkmark$
(b) Extension $=0.18 \mathrm{~m}$ or use of $\varepsilon=\frac{\Delta L}{L}$ or reads off $d$ correctly for their extension $\checkmark$
$(d=) 1.8 \mathrm{~m} \checkmark$
(c) $\quad(\sigma=) 1.14 \times 10^{7}\left(\mathrm{~N} \mathrm{~m}^{-2}\right) \checkmark$ c.a.o
(d) Straight line with negative gradient $\checkmark$

Line passes through $(0,0.46) \checkmark$
Line passes through $(3.6,0.26) \checkmark$
2. (a) Volume $=$ area $\times$ length $=4.16 \times 10^{-4} \mathrm{~m}^{3} \checkmark$

Mass correct $=\mathrm{W} / \mathrm{g}=3.6 \mathrm{~kg} \checkmark$
To give density $8.6 \times 10^{3}$
And therefore brass $\checkmark$
Alternative for MP2 and MP3
(for brass)
Mass of brass $=$ density $\times$ volume $=3.58 \mathrm{~kg} \sqrt{ }$
Weight $=3.58 \times 9.81=35 \mathrm{~N}$
And therefore brass is correct. $\checkmark$
(b) Use of $T=2(35) \cos 55 \checkmark$
$=40 \mathrm{~N}$ V
Allow 1 max for any one error
(c) Weight/tension in rope still 35 N OR is constant $\checkmark$

Angle to horizontal decreases so cos(angle) increases $\checkmark$
(Therefore tension in cable must increase)
Allow reference to
T=2(35) cos (angle) for MP2
(d) Component at right angle to door $=$
$41 \cos (90-12)$
$=8.5 \mathrm{~N}$ V
Moment $=8.5 \times 0.95=8.1(\mathrm{~N} \mathrm{~m}) \checkmark$
Alternative:
Perpendicular distance $=0.95 \sin$ (12)
$=0.198 \mathrm{~m} \checkmark$
Moment $=41 \times 0.198=8.1 \checkmark$
(e) Increase weight of $\mathbf{A} \checkmark$

Increases tension and therefore moment $\sqrt{ }$
Position pulley R further from pillar $\checkmark$
Increases angle and therefore bigger perpendicular component and therefore moment. $\checkmark$

Any 2 pairs
Condone (without discussion of effect on angle)
Move D further from hinge $\checkmark$
Increases perpendicular distance and therefore moment $\checkmark$
[13]
3. (a) Closed triangle of forces drawn $\checkmark$

Appropriate scale $\checkmark$
$\theta=23$ to $27\left(^{\circ}\right) \checkmark$
$U=77$ to 81 (N) $\checkmark$
Accept scale where 10 N is represented by at least 1 cm .


Treat each marking point independently.
Do not accept answers for $U$ and $\theta$ without a scale diagram.
Maximum of 3 marks for a free-body diagram where forces have been drawn to scale. (Check figure 8)
(b) $\quad V$ is vertical / Force at $\mathbf{Y}$ is now vertical / $V$ does not have a horizontal component / $V=S+31 / V$ is perpendicular to the pole / $V$ is of greater magnitude than $U /$ Force at $\mathbf{Y}$ has increased in magnitude $\sqrt{ }$
(Because) $S$ and weight (or $m g$ ) are both vertical (in Fig 3) $\checkmark$
(Because) greater moment of weight (about $\mathbf{Y}$ ) in Fig $\mathbf{3}$ / smaller moment of weight (about $\mathbf{Y}$ ) in Fig 1 / (Because) $S$ is larger in magnitude than $D$ (to produce a greater moment (about $\mathbf{Y}$ because they are equal distances from Y) $\sqrt{ }$
4. (a) $0.56(\mathrm{~N}) \checkmark$
(b) Definition of couple as two equal forces acting in opposite directions $\checkmark$ Moment of a couple is independent of the point about which moments are taken $\checkmark$

Forces (are equal but) don't act in opposite directions, therefore it is not correct $\checkmark$ Combined moment of the two forces depends on the point about which moments are taken, therefore not correct.

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(c) Use of total upward force = total downward force

1 mark for any attempt to equate upward and downward forces. Response may be on diagram.
eg $0.87+0.62=1.12+W \checkmark$
0.32 (N) $\checkmark$

Attempt to use Principle of Moments $\checkmark$
0.14 (m) $\checkmark$

Allow MP4 if (their W) $\times($ their $d)=0.0448$
(d) Readings (on A and B) would be the same/1.44 (N) $\checkmark$
(Because) total downwards force/weight is same
OR
All (perpendicular) distances affected by the same factor
$(\cos \theta) \checkmark$
5. (a) The centre of mass of the beam and box is at the pivot $\checkmark$

Idea that moments balance / sum of the moments is zero at this position $\checkmark$

## OR

The anticlockwise moment (of weight of the beam) = clockwise moment (of weight of the box) $\checkmark$

Links pivot position to a consideration of moments $\checkmark$
Accept one route or the other, do not accept points from both.
Allow max 1 for "the pivot is to the right of the centre (of mass) of the beam"
'pivot' on its own does not get the first mark
Award 2 for $1.25 \times$ weight of beam $=1.5 \times$ weight of empty box
Confusion of moments with eg work done/forces = max 1
(b) Clockwise moment $=610 \times 9.81 \times 1.5(=8976 \mathrm{~N} \mathrm{~m}) \checkmark$

Anticlockwise moment $=250 \times 4+T \sin 50 \times 4.0(\mathrm{~N} \mathrm{~m}) \checkmark$
Use of clockwise = anticlockwise $\sqrt{ }$
Use of $T \sin 50^{\circ}$ seen / relates vertical component to tension $\checkmark$
$T\left(=1994 / \sin 50^{\circ}\right)=2600(\mathrm{~N}) \checkmark$
Credit any evidence to work out a moment with one mark Condone cos 50 in MP2.
Allow ecf for clockwise moment
Allow ecf for anticlockwise moment
Use of $g=10 \mathrm{~N} \mathrm{~kg}^{-1}$ gives 2990 N Omission of $4.0 \mathrm{~m}(g=9.8)$ gives 10410 N . Use of $\cos 50(g=9.8)$ gives 3100 N
Allow max 4 for use of $g=10 \mathrm{Nkg}^{-1}$.
(c) $7.5=1 / 2 \mathrm{~g} t^{2} \checkmark$
( $t=1.2 \mathrm{~s}$ )
(calculate distance)
$s(=u t=18 \times 1.2)=22(\mathrm{~m}) \checkmark$
Allow ecf from incorrect $t$ for MP2
(d) (Range will be greater:)
component of velocity upwards $\checkmark$
rock will spend longer in the air $\checkmark$
greater $t \checkmark$
therefore the range is greater $\checkmark$

## OR

(Range will be smaller)
Counterweight will fall less far before projectile released $\checkmark$
Less energy transferred to rock $\checkmark$
Initial speed of rock less/horizontal velocity reduced $\checkmark$
therefore the range is smaller $\checkmark$

## OR

(balanced arguments)
therefore the range is unchanged / answer is indeterminate $\checkmark$
Candidates can argue from both lists to reach a balanced view suggesting that there is no change.
Full credit can be obtained from 2 deductions from one list $\checkmark \checkmark+$ consistent conclusion $\checkmark$
1 deduction from each list $\checkmark \checkmark+$ consistent conclusion $\checkmark$
Do not allow an unsupported conclusion.
Conclusion must be consistent with correct statements.
Treat incorrect statements as neutral.
Do not reward arguments based on a longer time of flight.
MAX 3

