



# **A-Level Physics**

## **Radioactive Decay**

### **Mark Scheme**

**Time available: 58 minutes**

**Marks available: 52 marks**

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## Mark schemes

1.

- (a) U-235 (absorbs) a neutron with added information ✓<sub>1</sub>

*<sub>1</sub> Possible added information :*

*To become U-236*

*absorbs a slow moving neutron*

*absorbs a thermal neutron*

*If no marks awarded but the first two marking points are made without identifying the isotope give one mark*

U-235/6 then divides/splits and gives out more neutrons ✓<sub>2</sub>

U-238 absorbs/scatters neutrons ✓<sub>3</sub>

*<sub>3</sub> If the answer implies that U-238 in any way is involved in fission this mark is lost*

3

- (b) Substitution into or manipulation of the equation  $N_t = N_0 e^{-\lambda t}$  to give the ratio  $\frac{N_0}{N_t}$

with  $N_t$  for the present day and  $N_0$  being in the past ✓<sub>1a</sub>

$$\left(\frac{N_0}{N_t} = e^{+\lambda t} = e^{+(1.54 \times 10^{-10} \times 2.0 \times 10^9)} = 1.36\right)$$

Mass of U-238 (= 1.36 × 0.993) = 1.35 kg (3 sf) ✓<sub>2a</sub>

OR working with half-lives

(Half life = 4.50 × 10<sup>9</sup> year)

Number of half-lives = 4/9 or 0.44 ✓<sub>1b</sub>

$$\left(\frac{N_0}{N_t} = 2^{(4/9)} = 1.36\right)$$

Mass of U-238 (= 1.36 × 0.993) = 1.35 kg (3 sf) ✓<sub>2b</sub>

*Must be to 3 sig figs*

*Calculation may be in grams*

$$*<sub>1b</sub> Half life = \ln 2 / 1.54 \times 10^{-10}*$$

$$*= 4.50 \times 10^9 \text{ (year)}*$$

$$*Number of half-lives = 2.00 \times 10^9 / 4.50 \times 10^9*$$

2

(c) Ratio  $\left(\frac{N_{235}}{N_{238}+N_{235}}\right) = 3.6\% \text{ to } 3.7\%$

so yes ✓ A valid calculation must be performed to gain the mark eg with an ecf from (b)

$$\left(\frac{N_{235}}{N_{238} + N_{235}} = \frac{52}{1400+52} \text{ using (b) data} = \frac{52}{1350+52}\right)$$

Condone using ratio  $\frac{N_{235}}{N_{238}}$

$$\left(\frac{N_{235}}{N_{238}} = \frac{52}{1400} \text{ using (b) data} = \frac{52}{1350}\right)$$

= 3.7% to 3.9%

1

[6]

2.

- (a) 2.0 cm ✓ (allow 1.96 to 2.00 cm)

(Answer alone gains mark and ignore number of sig. figs)

*(The depth halves in 19s. With the graph being exponential the depth will halve every 19s.  $57/19 = 3$  so the halving occurs 3 times.  $16 \text{ cm} \rightarrow 8 \text{ cm} \rightarrow 4 \text{ cm} \rightarrow 2 \text{ cm}$ )*

1

- (b) Use more water/greater depth/greater volume (in the existing cylinder)

(This should give the same half-life) ✓

*Assume the word water is present in the answer if there is no reference to it. Eg 'greater depth' is taken as 'greater depth of water'.*

1

- (c) Closing the tap more

**OR**

Using a more viscous fluid (density is not the same as viscosity)

**OR**

Using a wider cylinder

**OR**

Use a smaller diameter capillary/narrow tube ✓

*To decrease the decay constant the depth decrease rate should be reduced ie the cylinder should take longer to empty).*

*Changes to the tube need to be specific.*

*Also tube needs to be identified.*

1

(d) (Using  $T_{1/2} = \ln 2 / \lambda = 0.693/1.42 \times 10^{-11}$ )

$$T_{1/2} = 4.9(4.88) \times 10^{10} \text{ (year) } \checkmark$$

1

(e) (Use of  $N = N_0 e^{-\lambda t}$  mass is proportional to number so

$$m = m_0 e^{-\lambda t}$$

$$m_0 = m e^{+\lambda t}$$

$$\lambda t = 1.42 \times 10^{-11} \times 4.47 \times 10^9 \text{ or } 0.0635 \checkmark$$

$$(m_0 = 1.23 \times 10^{-3} e^{1.42 \times 10^{-11} \times 4.47 \times 10^9})$$

$$m_0 = 1.31 \times 10^{-3} \text{ (g) } \checkmark \text{ (allow and look out for unit being modified to mg)}$$

Mark for 3 sig figs but must be attached to a final answer for mass with some attempt at a relevant exponential calculation  $\checkmark$

*May calculate  $N = 8.51(2) \times 10^{18}$  and  $N_0 9.07 \times 10^{18}$  but marks will be the same.*

3

(f) ( $N = \text{mass}/87u = 1.23 \times 10^{-6} / (87 \times 1.661 \times 10^{-27})$ )

$$N = 8.5(1) \times 10^{18} \checkmark$$

(This does not have to be calculated out for the mark)

$$(\lambda = 1.42 \times 10^{-11} / (365 \times 24 \times 60 \times 60) = 4.50 \times 10^{-19})$$

$$(A = \lambda N = 4.50 \times 10^{-19} \times 8.51 \times 10^{18})$$

$$A = 3.8(4) \checkmark \text{ (this calculation must use in seconds)}$$

Bq, B/becquerel, counts  $s^{-1}$  or  $s^{-1} \checkmark$

*In first mark is obtainable from calculating number of moles and then multiplying by Avogadro's number.*

$$\{n = 1.23 \times 10^{-6}/87 = 1.41 \times 10^{-5}$$

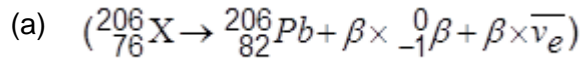
$$N = 1.41 \times 10^{-5} \times 6.02 \times 10^{23}\}$$

*A power of 10 error will count as an AE and will allow an error carried forward.*

*Answer must follow working showing correct process as correct answer can come from incorrect working.*

3

[10]

**3.**

$\beta = 6 \checkmark$

1

- (b) (i) the energy **required** to split up the nucleus  $\checkmark$   
 into its individual neutrons and protons/nucleons  $\checkmark$   
 (or the energy **released** to form/hold the nucleus  $\checkmark$   
 from its individual neutrons and protons/nucleons  $\checkmark$ )

2

(ii)  $7.88 \times 206 = 1620 \text{ MeV} \checkmark$  (allow 1600-1640 MeV)

1

- (c) (i) U, a graph starting at  $3 \times 10^{22}$  showing exponential fall passing through  
 $0.75 \times 10^{22}$  near  $9 \times 10^9$  years  $\checkmark$   
 Pb, inverted graph of the above so that the graphs cross at  $1.5 \times 10^{22}$  near  
 $4.5 \times 10^9$  years  $\checkmark$

2

- (ii) ( $u$  represents the number of uranium atoms then)

$$\frac{u}{3 \times 10^{22} - u} = 2$$

$$u = 6 \times 10^{22} - 2u \checkmark$$

$$u = 2 \times 10^{22} \text{ atoms}$$

1

- (iii) (use of  $N = N_0 e^{-\lambda t}$ )

$$2 \times 10^{22} = 3 \times 10^{22} \times e^{-\lambda t} \checkmark$$

$$t = \ln 1.5 / \lambda$$

(use of  $\lambda = \ln 2 / t_{1/2}$ )

$$\lambda = \ln 2 / 4.5 \times 10^9 = 1.54 \times 10^{-10} \checkmark$$

$$t = 2.6 \times 10^9 \text{ years} \checkmark \text{ (or } 2.7 \times 10^9 \text{ years)}$$

3

**[10]**

**4.** boron numbers correct:  $A = 11$ ;  $Z = 5$  B1

$\beta^+$  correct:  $A = 0$ ;  $Z = (+)1$  B1

$\nu_e$  (not anti neutrino) with numbers correct: 0,0 B1

3 **[3]**

**5.** (a) correct numbers for beta+ (0, (+)1) and chromium (52) B1

(electron) neutrino with correct numbers (0,0) B1

2

(b)  $W^+ / W^-$  (intermediate vector) boson (not Z boson) B1

1 **[3]**

**6.** (a) plutonium is toxic/large mass of plutonium B1

harmful if released into atmosphere/explosion occurred B1

alphas dangerous when ingested/during launch etc B1

max2

(b) unaffected B1

chemical bonding involves electrons (atomic)  
radioactivity is nuclear (owtte)/same number of nuclei present B1

2

(c)	(i)	$T_{1/2} = \ln 2 / \lambda$	C1	
		$2.51 \times 10^{-10}$		
			A1	2
	(ii)	molar mass calculated (0.270 kg)		
			C1	
		use of 33 kg		
			C1	
		number of moles in sample (122.2)		
			C1	
		multiplication of value by Avogadro's number		
			C1	
		$7.36 \times 10^{25}$		
			A1	5
	(iii)	(c) (i) $\times$ (c) (ii)		
			C1	
		$1.83 \times 10^{16}$ cao		
			A1	
		Bq		
			B1	3
(d)	(i)	uranium correct (234,92)		
			B1	
		alpha correct (4,2) – accept He or $\alpha$ symbol		
			B1	2

(ii) use of 1 g generating 500 mW

C1

16500 W total

C1

recognition that activity  $\times$  energy of one alpha = power

C1

$9.00 \times 10^{-13}$  (J)

A1

4

[20]