



# **A-Level Physics**

## **Thermal Energy Transfer**

### **Mark Scheme**

**Time available: 61 minutes**

**Marks available: 47 marks**

**[www.accesstuition.com](http://www.accesstuition.com)**

## Mark schemes

1.

- (a) Combining and making use of  $Q = Pt$  and  $Q = mc\Delta\theta$  equations without the need to make  $t$  the subject. ✓  
= 27 (s) ✓

$$t = (1.2 \times 450) \frac{(125-20)}{2100}$$

No ecf for the second mark

2

- (b) (The power supplied in time  $t$  raises the temperature of  $m$  kg of water and converts it to steam)

Mark for use of an equation where errors in the time or temperature change or powers of 10 are condoned. ✓<sub>1</sub>

$$\checkmark_1 Pt = mc_w \Delta\theta + ml \text{ OR } P = \frac{mc_w \Delta\theta + ml}{t}$$

Mark is for the correct evaluation of  $\Delta m$  or  $P$ . No ecf. ✓<sub>2</sub>

$$\checkmark_2 \text{ in 1 minute } 2100 \times 60$$

$$= \Delta m \times 4200 \times (100 - 20) + \Delta m \times 2.3 \times 10^6$$

$$\Delta m = 0.048 \text{ kg min}^{-1}$$

OR

$$\text{in one second } 2100$$

$$= \Delta m \times 4200 \times (100 - 20) + \Delta m \times 2.3 \times 10^6$$

$$\Delta m = 0.00080 \text{ kg s}^{-1}$$

OR

$$P = \frac{0.060 \times 4200 \times (100 - 20) + 0.060 \times 2.3 \times 10^6}{60}$$

Mark is for the deduction about the claim, which may be an ecf provided an attempt at the calculation is made with a clear answer.

✓<sub>3</sub>

$$P = 2.6(4) \times 10^3 \text{ W}$$

✓<sub>3</sub> So claim is not true.

$$0.048 \text{ kg min}^{-1} \text{ is smaller than } 60 \text{ g min}^{-1}$$

OR

$$0.00080 \text{ kg s}^{-1} = 48 \text{ g min}^{-1} \text{ is smaller than } 60 \text{ g min}^{-1}$$

OR

$$2.6 \times 10^3 \text{ W is greater than } 2.1 \text{ kW } \checkmark_3$$

(The most common ecf will be to leave out the raising of the water temperature before changing the water to steam giving calculated values of  $\Delta m = 0.055 \text{ kg min}^{-1}$ , or

$$\Delta m = 0.00091 \text{ kg s}^{-1} \text{ or } P = 2.3 \times 10^3 \text{ W})$$

3

[5]

2.

(a) 28 (°C) ✓

1

(b) The energy transferred reduces the number of nearest atomic neighbours

*First alternative must not imply total loss of intermolecular forces or neighbours.*

*A reference to 'breaking the bonds' implies all the bonds and does not gain the mark.*

*No mark for saying bonds weaken.*

*However these errors in discussing the bonds does not prevent a mark coming from another point*

OR

allows atoms to move their centre of vibration

*Last alternative might be expressed as 'atoms change from fixed positions to them being able to slide around each other'.*

*Ignore any references to changes in separation.*

OR

breaks some of the (atomic) bonds

OR

crystalline to amorphous ✓ (owtte)

*An explanation that involves increasing the kinetic energy will lose the mark.*

*So will any description that implies it becomes a gas.*

1

(c) The (total or mean) kinetic energy remains constant. ✓

The (total or mean) potential energy increases. ✓

2

(d) The mean speed/mean kinetic energy increases ✓

*Ignore references to larger separation (because it's not always true): collisions (as it is not a gas) or measures of randomness (which are usually too vague).*

*Condone use of average for mean.*

*Don't allow velocity instead of speed.*

*During this time interval the atoms are all in the liquid form so no credit for references that indicate a change of state.*

1

- (e) Using both  $\Delta Q = mc\Delta\theta$  and  $\Delta Q = P\Delta t$  ✓

$$\left( c = \frac{P\Delta t}{m\Delta\theta} = \frac{35 \times (14.8 - 11.2) \times 60}{0.25 \times (110 - 28)} = 369 \right)$$

$c = 370$  ✓ (allow 365–375)

$\text{J kg}^{-1} \text{K}^{-1}$  ✓ (or  $\text{J kg}^{-1} \text{C}^{-1}$ )

*First mark can be given by seeing the substitution which may have some errors for example not using exactly 28. These will be penalised in the second mark.*

*Correct answer gains first two marks NB  $400 \text{ J kg}^{-1} \text{K}^{-1}$  shows candidate has wrongly made calculations for the solid. No mark for the unit if a solidus is used because of the uncertainty of whether the K is on the top or bottom line. (which is correct J / kg / K or J / kg K ?)*

*However allow a prefix if kilojoules are used for example.*

3

- (f) (Using both  $\Delta Q = ml$  and  $\Delta Q = P\Delta t$ )

$$l \left( = \frac{P\Delta t}{m} \right) = \frac{35 \times ((11.2 - 1.8) \times 60)}{0.25} = 79 \text{ kJ kg}^{-1} \checkmark$$

hence M = gallium ✓ (condone an ecf consistent with the calculation provided a comment is made if the value falls outside the range of the table)

*The calculation yields  $1.3 \text{ kJ kg}^{-1}$  if the 60 seconds is omitted.*

*Interim stage heat supplied = 19.7 kJ*

*A valid calculation must be shown to gain this second mark.*

2

[10]

3.

- (a) Specific latent heat of fusion is the energy (required) to change 1 kg / unit mass of material from the solid state to the liquid state or melt/fuse ✓

Without a change of temperature or at the freezing/melting temperature/point ✓

*The direction of energy transfer must be consistent with the direction of the change of state (If energy to change... is given then required or needed is implied)*

*2<sup>nd</sup> mark stands alone.*

2

(b) (Dividing both sides of the equation  $\Delta Q = m c \Delta\theta$  by  $\Delta t$  gives  $\Delta Q/\Delta t = m c \Delta\theta/\Delta t$  or

$$\Delta\theta = (\Delta Q/\Delta t) \times \Delta t/m c \text{ where } m = \rho V)$$

$$\Delta\theta = 2700 \times (60 \times 60) / (4.5 \times 1000 \times 4200) \checkmark$$

Full substitution correct  $\checkmark$

Temperature rise =  $\Delta\theta = 0.51$  (K)  $\checkmark$  (= 0.514 K)

*Working must be seen as there is a self-cancelling error with two 1000 factors.*

*So answer alone gains the 3<sup>rd</sup> mark only.*

*First mark can be gained if (60 x 60) is absent even if not re-arranged.*

*The change of temperature may be written as a difference between 28 °C and an unknown temperature (allow in kelvin written either way round ie with incorrect sign)*

*1 sig fig is **not** acceptable.*

*Useful numbers:*

$$4.5 \times 1000 \times 4200 = 1.89 \times 10^7$$

$$2700/(4500 \times 4200) = 1.4 \times 10^{-4}$$

*Max 2 if:*

$$\text{Omits } (60 \times 60) \text{ giving } 1.43 \times 10^{-4} \text{ K}$$

$$\text{Omits } 60 \text{ giving } 8.57 \times 10^{-3}$$

3

(c) (When the pump is working at speed) the pump is doing work (on the water)  $\checkmark$

Work (and heat both) can raise the temperature of a body (as stated in the 1<sup>st</sup> Law of thermodynamics) (this may be expressed as work is converted to thermal energy) OWTTE

**OR**

The pump increases the randomness / turbulence of the water/molecules

**OR**

The mean square speed/*mean* kinetic energy is proportional to the (absolute) temperature  $\checkmark$

(this may be given in the form on an equation) OWTTE

*(Lenient mark – a reference to random motion or more collisions may gain this mark but a simple increase in kinetic energy is not enough).*

*Do not penalise answers that go nowhere unless they directly contradict a marked answer.*

2

[7]

4.

(a) Tick in 4th box

1

- (b) (i) (using heat energy =  $ml$ )  
 $\text{energy} = 0.047 \times 3.3 \times 10^5 = 1.6 \times 10^4 \text{ (J)} \checkmark (1.55 \times 10^4 \text{ J})$   
*answer alone gains mark*

1

- (ii) (heat in from water = heat supplied to melt and raise ice temperature)  
 $1.8 \times 10^4 = 1.6 \times 10^4 + (\text{energy to raise temp of ice})$   
 $\text{energy to raise temp of ice} = 2 \times 10^3 \text{ (J)} \checkmark$   
*answer alone gains mark allow 2, 2.5 or 3 x 10<sup>3</sup> J*  
*allow CE if substitution is shown*

$1.8 \times 10^4 - (b)(i)$

1

- (iii) (using heat energy =  $mc\Delta T$ )  
 $c = 2 \times 10^3 / 0.047 \times 25$   
 $= 2 \times 10^3 \checkmark (1.7 \times 10^3)$  (note there is a large range of correct answers)  
 $\text{J kg}^{-1} \text{ K}^{-1}$  or  $\text{J kg}^{-1} \text{ }^\circ\text{C}^{-1} \checkmark$  (allow use of dividing line but don't allow  $^\circ\text{K}$  and  $^\circ\text{C}^{-1}$  is not the same as  $\text{C}^{-1}$ )

*only allow CE if substitutions are seen*

$c = (b)(ii) / 0.047 \times 25$

$= b(ii) \times 0.851$

*allow 1 sig fig.*

*common answers:*

*for  $2.5 \times 10^3 \text{ J}$  gives  $2.1 \times 10^3$  or  $2 \times 10^3$*

*for  $3 \times 10^3 \text{ J}$  gives  $2.6 \times 10^3$  or  $3 \times 10^3$*

2

[5]

- 5.** (a) (it takes) 130 J / this energy to raise (the temperature of) a mass of 1 kg (of lead) by 1 K / 1  $^\circ\text{C}$  (without changing its state)  $\checkmark$

*1 kg can be replaced with unit mass.*

*Marks for 130J or energy.*

*+1 kg or unit mass.*

*+1 K or 1  $^\circ\text{C}$ .*

*Condone the use of 1  $^\circ\text{K}$*

1

- (b) (using  $Q = mc\Delta T + ml$ )  
 $= 0.75 \times 130 \times (327.5 - 21) + 0.75 \times 23000 \checkmark$   
 $(= 29884 + 17250)$   
 $= 47134 \checkmark$   
 $= 4.7 \times 10^4 \text{ (J)} \checkmark$

*For the first mark the two terms may appear separately i.e. they do not have to be added.*

*Marks for substitution + answer + 2 sig figs (that can stand alone).*

3

[4]

**6.**

(a)  $\Delta T = \left( \frac{\Delta Q}{mc} \right) = \frac{8.5 \times 10^3}{4200 \times 0.12} \checkmark$   
 17 K  $\checkmark$

2

(b)  $\left( \frac{\Delta T}{\Delta t} = \frac{\Delta Q}{mc} \right) = \frac{100 - 26}{\Delta t} = \frac{8.5 \times 10^3}{0.41 \times 4200} \checkmark$

$t = 15 \text{ s} \checkmark$

2

**[4]****7.**

- (a) (i) heat water to 100 °C, energy (= 190 × 4200 × 79) = 63 (MJ) **(1)**  
 vapourise water, energy  
 (= 190 × 2.3 × 10<sup>6</sup>) = 440 (MJ) **(1)**  
 (437 MJ)

energy transferred (per sec) = (437 + 63) MJ **(1)**  
 (= 500 MJ)

- (ii) mass of rocks (= 4.0 × 10<sup>6</sup> × 3200)

= 1.3 × 10<sup>10</sup> (kg) **(1)**  
 (1.28 × 10<sup>10</sup>)

temperature fall of ΔT in one day, energy removed  
 (= 1.28 × 10<sup>10</sup> × 850 × ΔT) = 1.1 × 10<sup>13</sup> ΔT **(1)**

(1.09 × 10<sup>13</sup> AT)  
 (allow C.E. for value of mass of rocks)

energy transfer in one day (= 500 × 10<sup>6</sup> × 3600 × 24)  
 = 4.3 × 10<sup>13</sup> (J) **(1)**

in one day  $\Delta T \left( = \frac{4.3 \times 10^{13}}{1.1 \times 10^{13}} \right) = 3.9(1) \text{ K} \text{ (1)}$

7

$$(b) \text{ number of nuclei in 1 kg of } ^{238}\text{U} = \left( \frac{6.02 \times 10^{23}}{0.238} \right) = 2.5(3) \times 10^{24} \quad (1)$$

$$\text{activity of 1kg of } ^{238}\text{U} = \frac{\ln 2}{T_{1/2}} \times 2.53 \times 10^{24} \quad (1)$$

$$\left( = \frac{\ln 2}{4.5 \times 10^9 \times 3.1 \times 10^7} \times 2.53 \times 10^{24} \right) = 1.2(6) \times 10^7 \text{ (s}^{-1}\text{)} \quad (1)$$

energy released per sec per kg of  $^{238}\text{U}$

$$= 1.2(6) \times 10^7 \times 4.2 \times 1.6 \times 10^{-13} \text{ (J)} \quad (1)$$

$$(8.47 \times 10^{-6} \text{ (J)})$$

$$\text{mass of } ^{238}\text{U needed} = \frac{500 \times 10^6}{8.47 \times 10^{-6}} = 5.9(0) \times 10^{13} \text{ kg} \quad (1)$$

5

[12]