

M1.(a)

breaking stress	✓
stiffness constant, k	
tensile strain	
tensile stress	
Young modulus	✓

1

(b) (i) elastic limit ✓

only one attempt at the answer is allowed

1

(ii) ($E = 300 \times 10^6 / 4 \times 10^{-2} = 7.5 \times 10^9$)

7.5 (Pa) ✓ allow 7.4 to 7.6 (Pa)

$\times 10^9$ ✓

first mark is for most significant digits ignoring the power of 10. E.g. 7500 gains mark

2

(c) straight line beginning on existing line at a strain of 0.10 and hitting the strain axis at a lower non-zero value ✓

line that ends on the x-axis with strain between 0.045 and 0.055 ✓ (only allow if first mark is given)

ie accuracy required \pm one division

2

(d) $8.99 \times 10^{-3} \text{ (m}^3\text{)}$ ✓ condone 1 sig fig

allow 9.00×10^{-3}

1

(e) $0.9872 \times 8.99 \times 10^{-3}$ or $= 8.8749 \times 10^{-3} \text{ (m}^3\text{)}$ ✓

allow CE from 4d

$(m = \rho V) = 2700 \times 8.8749 \times 10^{-3} = 24 \text{ (kg)} \checkmark$ (23.962 kg)
allow CE from first part, e.g. if 1.28% was used gives 0.311 kg

$$V = 0.9872 \times (d)$$

$$m = 2.665 \times (d)$$

$$1.28\% \text{ of vol} = 1.15 \times 10^{-4} \text{ m}^3$$

2

[9]

tensile stress

M2.(a) Use of Young Modulus = tensile strain \checkmark

The first mark is for calculating the tensile stress

1

To give tensile stress = $2 \times 10^{11} \times 3.0 \times 10^{-4} = 6.0 \times 10^7 \checkmark$

The second mark is substituting into the tensile force equation

1

tensile force

Use of tensile stress = cross sectional area

To give tensile force = $6.0 \times 10^7 \times 7.5 \times 10^{-3} = 4.5 \times 10^5 \text{ N} \checkmark$

The third mark is for the correct answer

1

(b) Use of strain = extension / original length

To give extension = $3.0 \times 10^{-4} \times 45 = 1.4 \times 10^{-2} \text{ m}$

$(1.35 \times 10^{-2}) \checkmark$

The first mark is for calculating the extension

1

Use of energy stored = $\frac{1}{2} F e$

To give

$$\text{Energy stored} = \frac{1}{2} \times 4.5 \times 10^5 \times 1.4 \times 10^{-2}$$

$$= 3.2 \times 10^3 \text{ J } \checkmark$$

$$(3.04 \times 10^3)$$

The second mark is for the final answer

1

(c) Temperature change = pre-strain / pre-strain per K

$$= 3.0 \times 10^{-4} / 2.5 \times 10^{-5} = 12 \text{ K} \checkmark$$

The first mark is for the temperature change

1

$$\text{Temperature} = 8^\circ\text{C} + 12 = 20^\circ\text{C} \checkmark$$

The second mark is for the final answer

1

(d) So that the rail is not always under stress \checkmark

1

as the rail spends little time at the highest temperature \checkmark

Or

To reduce the average stress the rail is under \checkmark

as zero stress will occur closer to average temperature / the rail will be under compressive / tensile stress at different times \checkmark

1

[9]

M3.(a) $6.5 \times 10^{10} \text{ Pa} \checkmark$

1

(b) $\text{kg m}^{-1} \text{ s}^{-2} \checkmark$

1

- (c) Direction of movement of particles in transverse wave perpendicular to energy propagation direction ✓

1

Parallel for longitudinal ✓

1

- (d) $\rho_1 c_1 = \rho_2 c_2$ ✓

$$E = \rho c^2 \text{ or } \rho c = \frac{E}{c} \text{ seen}$$

1

$$\left[\frac{E_1}{c_1} = \frac{E_2}{c_2} \right]$$

1

- (e) $\frac{\rho_x}{\rho_y} = \frac{c_y}{c_x}$ and $c_x = 2c_y$]

0.5 ✓

1

- (f) speed of the wave in seawater is less than speed of the wave in glass ✓

1

argument to show that $n_{\text{water}} > n_{\text{glass}}$

1

so tir could be observed when wave moves from water to glass ✓

1

[10]

M5.(a) P at the end of linear section ✓

1

(b) Measure original length and diameter ✓

1

Determine gradient of linear section to obtain F / extension ✓

1

$$E = \frac{F}{e} \times \frac{\text{length}}{\pi \left(\frac{d}{2}\right)^2} \checkmark$$

1

Alternative:

Convert to stress–strain graph and determine gradient.

(c) Line from A

Parallel to straight section of original

Ending at horizontal axis ✓

1

(d) Plastic deformation has produced permanent extension / re-alignment of bonds in material hence intercept non-zero ✓

1

Gradient is same because after extension identical forces between bonds ✓

1

(e) 0.2% is a strain of 0.002

Stress = $2.0 \times 10^{11} \times 0.002 =$

1

4×10^8 ✓

$$Force \left(= \frac{\pi (6 \times 10^{-3})^2}{4} \times 4 \times 10^8 \right) \checkmark$$

1

$$= 11.3 \text{ kN } \checkmark$$

1

(f) Maximum force = 11300 N

$$\text{Weight of mass} = 600 \times 9.81 = 5886 \text{ N } \checkmark$$

1

Accelerating force must be less than

$$11300 - 5886 = 5423 \text{ N } \checkmark$$

1

$$a (= F / m = 5423 / 600)$$

$$= 9.0 \text{ m s}^{-2} \checkmark$$

1

(g) To lift double the load at the same acceleration, would require double the force, \checkmark

The first mark is for discussing the effect on the force

1

To produce the same strain either use:

- double the diameter of wire – so the stress stays the same and therefore the strain is the same for the same wire, \checkmark
- a wire with double the Young modulus – so that double the stress produces the same strain for the same diameter. \checkmark

1

1

The other two are for discussing the two alternative methods of keeping the strain the same

[16]